



# ***The Deep Learning Data Dilemma Solving It with Physics Based Modeling***

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***Senior Member IEEE***

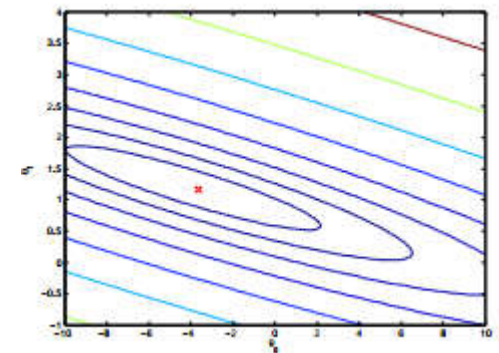
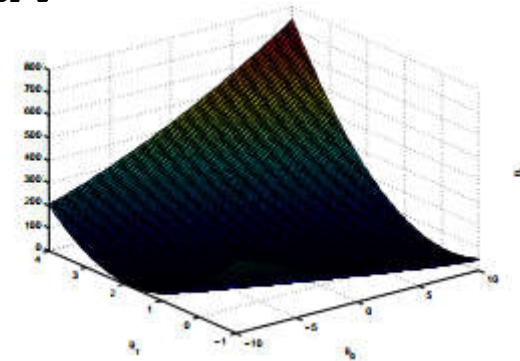
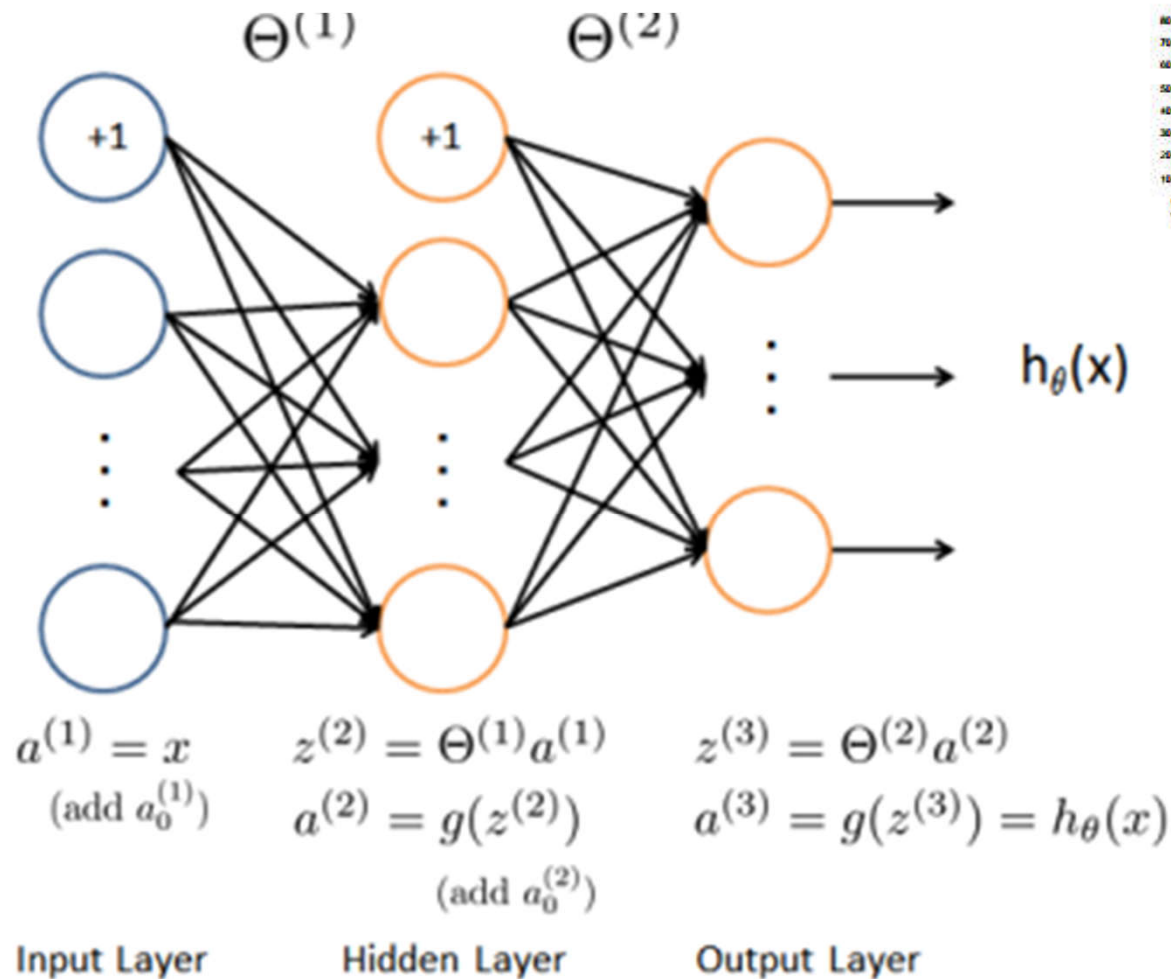
***Chair, IEEE Maine Section***

***November 18, 2020***

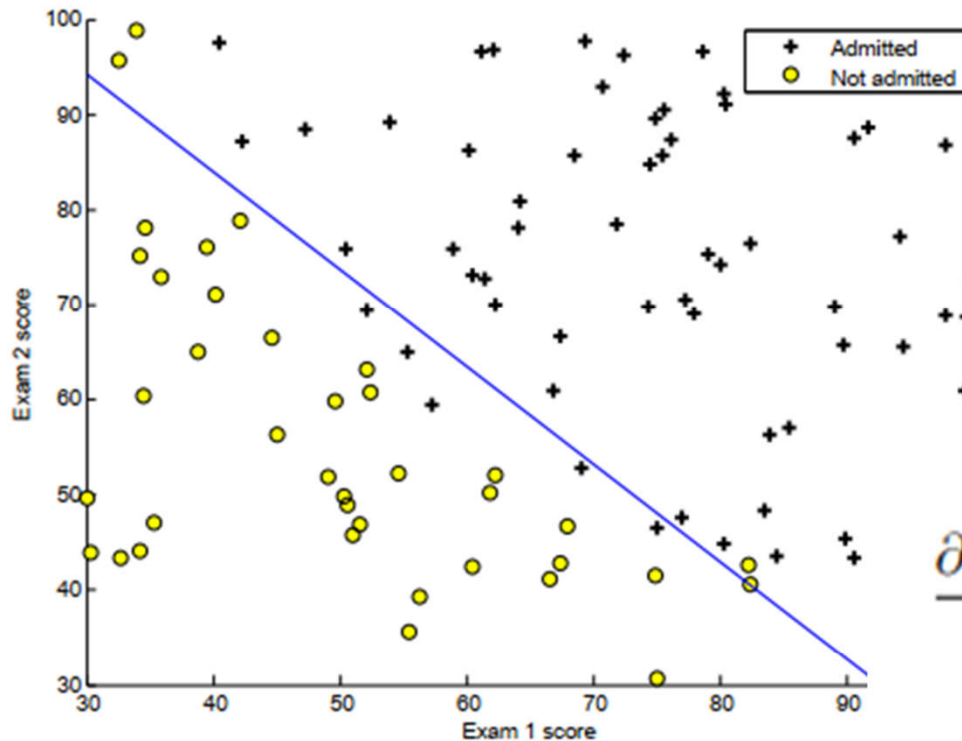
***Deep Conversations on Deep Learning***

***A technical series hosted by IEEE Maine Section***

# Why does Deep Learning Need Data?



# Why does Deep Learning Need Data?



## Logistic Regression

$$h_{\theta}(x) = g(\theta^T x),$$

*Activated hypothesis*

$$g(z) = \frac{1}{1 + e^{-z}}.$$

*Non linear activation*

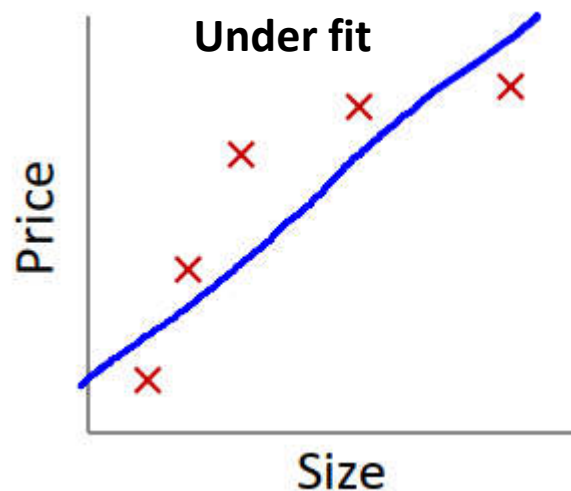
$$\frac{\partial J(\theta)}{\partial \theta_j} = \frac{1}{m} \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)}) x_j^{(i)}$$

*Parameter Gradient*

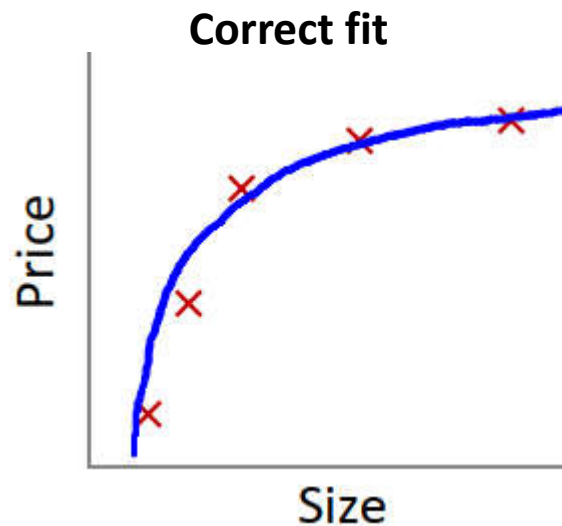
$$J(\theta) = \frac{1}{m} \sum_{i=1}^m [-y^{(i)} \log(h_{\theta}(x^{(i)})) - (1 - y^{(i)}) \log(1 - h_{\theta}(x^{(i)}))],$$

*Cost function*

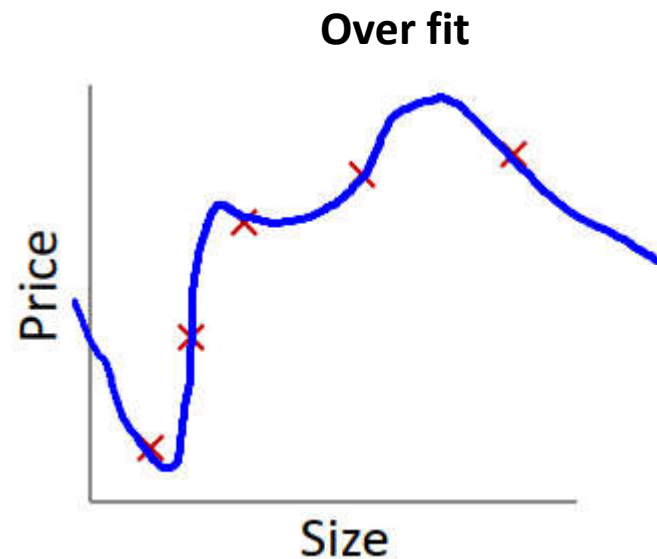
# Why does Deep Learning Need Data?



$$\theta_0 + \theta_1 x$$



$$\theta_0 + \theta_1 x + \theta_2 x^2$$



$$\theta_0 + \theta_1 x + \theta_2 x^2 + \theta_3 x^3 + \theta_4 x^4$$

In general, NNs require sufficient data to generate simply convex cost function, and certain applications require HUGE datasets

## ***Deep Learning Needs Lots of Data***

**MNIST:** developed by NIST – a database of handwritten digits, containing 60,000 training images and 10,000 testing images. Used for classifying digits from 0 to 9

**IMAGENET:** 14,197,122 images- one of the world's largest image databases used extensively for CNN training

**MIMIC-III:** Openly available dataset developed by the MIT Lab for Computational Physiology, comprising de-identified health data associated with ~40,000 critical care patients - demographics, vital signs, laboratory tests, medications, and more.

# ***Deep Learning Needs Lots of Data***

## **WAYMO OPEN DATA:**

- **1,950 segments of 20s each, collected at 10Hz (200,000 frames) in diverse geographies and conditions**
- **Sensor data: 1 mid-range lidar, 4 short-range lidars ,5 cameras**  
**Synchronized lidar and camera data, Lidar to camera projections**  
**Sensor calibrations and vehicle poses**
- **Labeled data**  
**Labels for 4 object classes - Vehicles, Pedestrians, Cyclists, Signs**  
**High-quality labels for lidar data in 1,200 segments**  
**12.6M 3D bounding box labels with tracking IDs on lidar data**  
**High-quality labels for camera data in 1,000 segments**  
**11.8M 2D bounding box labels with tracking IDs on camera data**

# ***But What Happens When There is Insufficient Data?***

Equations that changed the world – a partial list – Ian Stewart

Wave Equation

$$\frac{\partial^2 u}{\partial t^2} = c^2 \frac{\partial^2 u}{\partial x^2}$$

Fourier Transform

$$f(\omega) = \int_{-\infty}^{\infty} f(x) e^{-2\pi i x \omega} dx$$

Navier-Stokes  
Equation

$$\rho \left( \frac{\partial \mathbf{v}}{\partial t} + \mathbf{v} \cdot \nabla \mathbf{v} \right) = -\nabla p + \nabla \cdot \mathbf{T} + \mathbf{f}$$

Maxwell's Equations

$$\begin{aligned} \nabla \cdot \mathbf{E} &= 0 & \nabla \cdot \mathbf{H} &= 0 \\ \nabla \times \mathbf{E} &= -\frac{1}{c} \frac{\partial \mathbf{H}}{\partial t} & \nabla \times \mathbf{H} &= \frac{1}{c} \frac{\partial \mathbf{E}}{\partial t} \end{aligned}$$

# ***Physics Based Models – Methods of Solution***

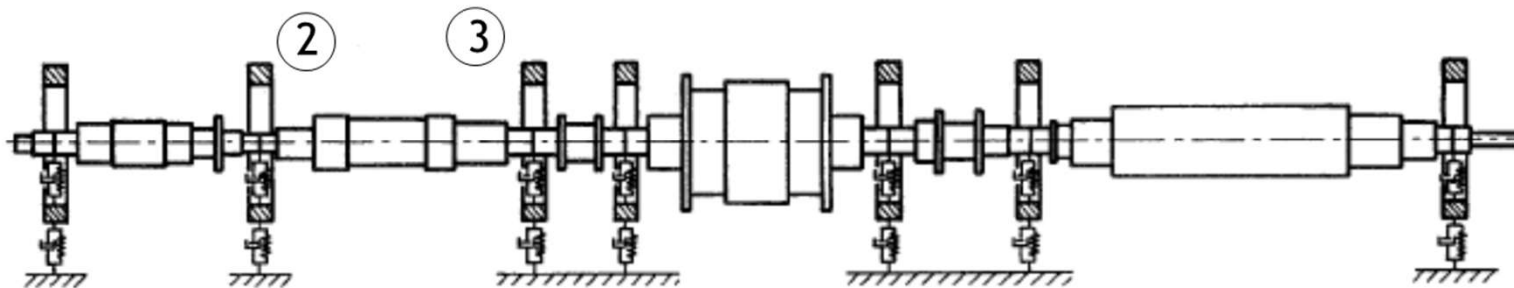
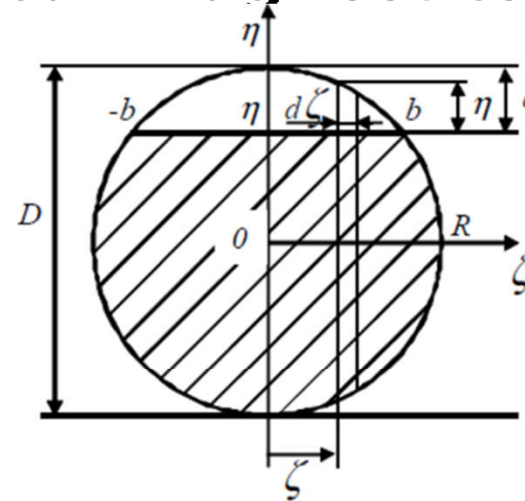
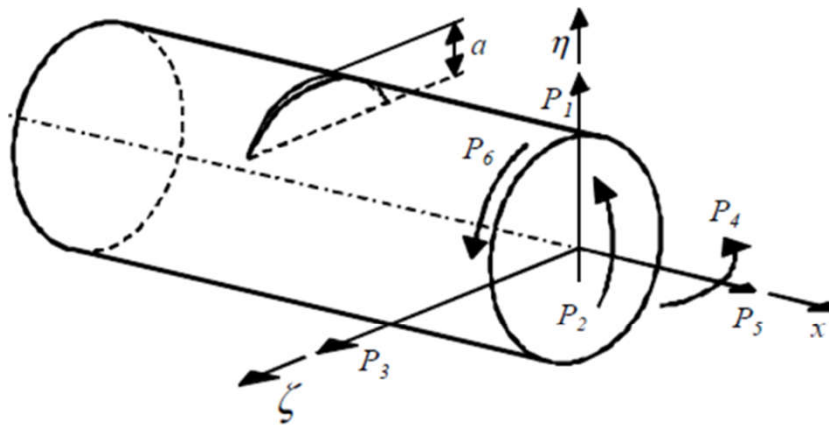
## **Analytical**

- **Separation of Variables- Sturm Louisville Problems**
- **Integral Transform infinite domains**
- **Green's Functions – excitation/response**
- **Method of Characteristics- domain mapping**

## **Numerical**

- **Finite Element**
- **Finite Difference**
- **Moment Method – reduction of integro differential system to vector space (basis and testing functions)**

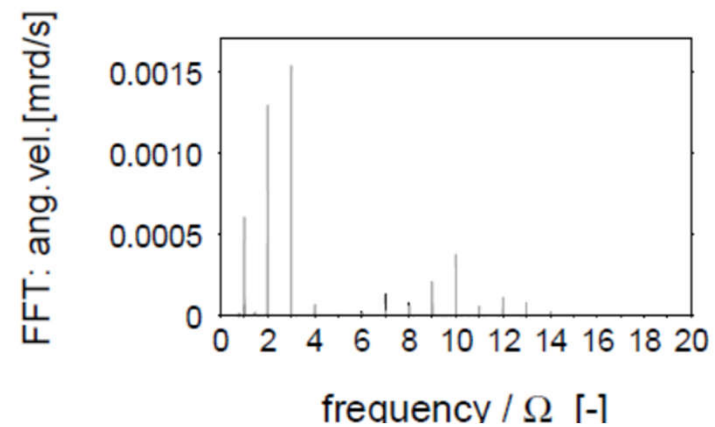
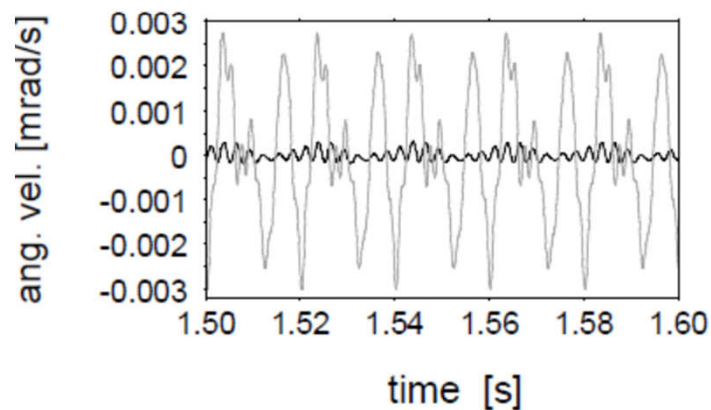
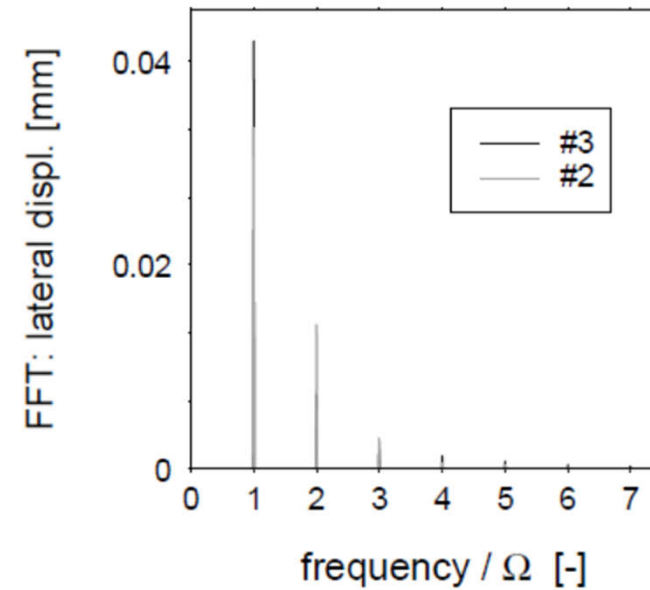
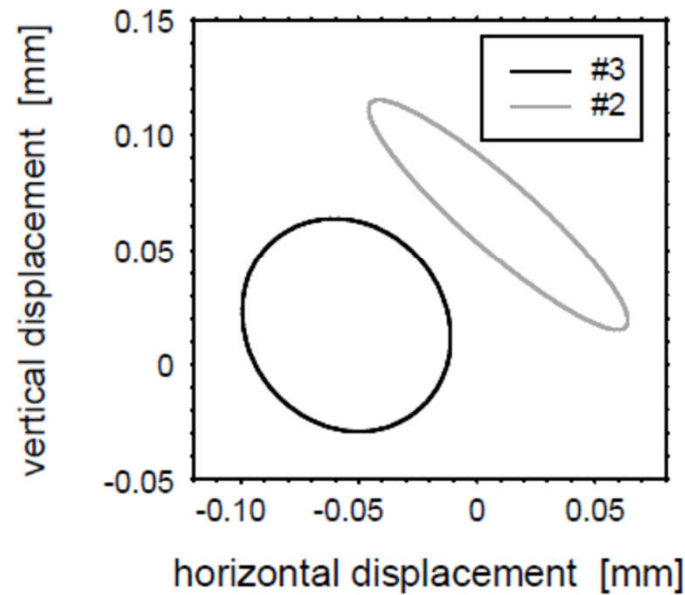
# The World of Mechanical Diagnostics



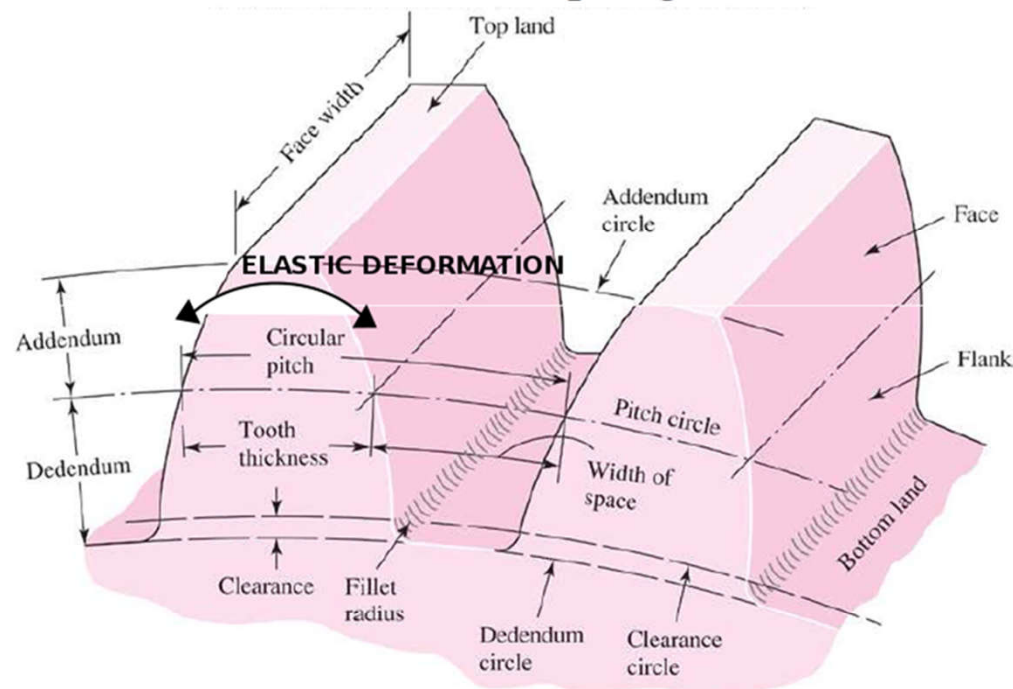
“Nonlinear and parametric coupled vibrations of the rotor shaft system as fault identification system using stochastic methods”, T. Szolc, P. Tazowski, J. Knabel, R. Stocki, Institute of Fundamental Technological Research, Polish Academy of Science

# The World of Mechanical Diagnostics

Crack depth  $a/D = 0.2$



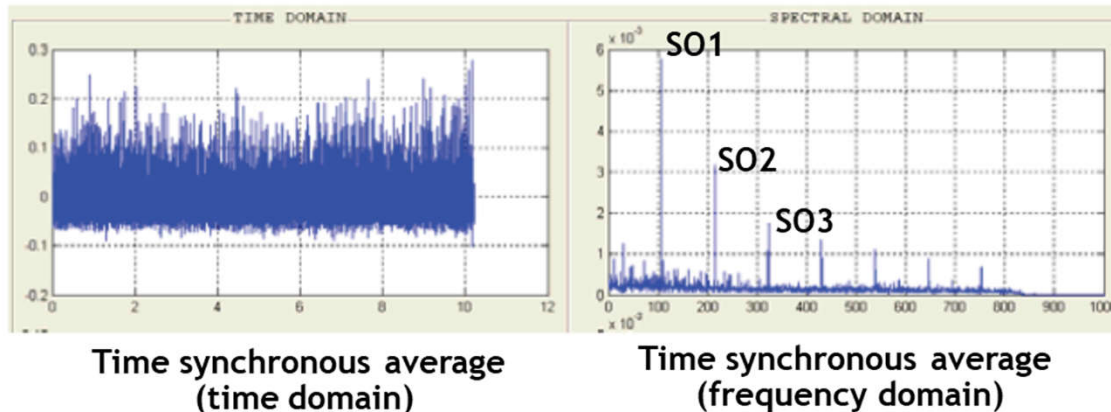
# The World of Mechanical Diagnostics



“Amplitude of Probability Density Function (APDF) of vibration response as a robust tool for gearbox diagnosis”, P.T. Rzeszucinski, J.K. Sinha, R. Edwards, A. Starr, B. Allen, *Strain*, Vol 48 No 6 pp 510-516, Dec 2012

# *The World of Mechanical Diagnostics*

*TSA spectrum with gear mesh overlay*



**Shaft order 1 magnitude:** *magnitude of shaft first harmonic in frequency domain, indicator of mass imbalance or bent shaft*

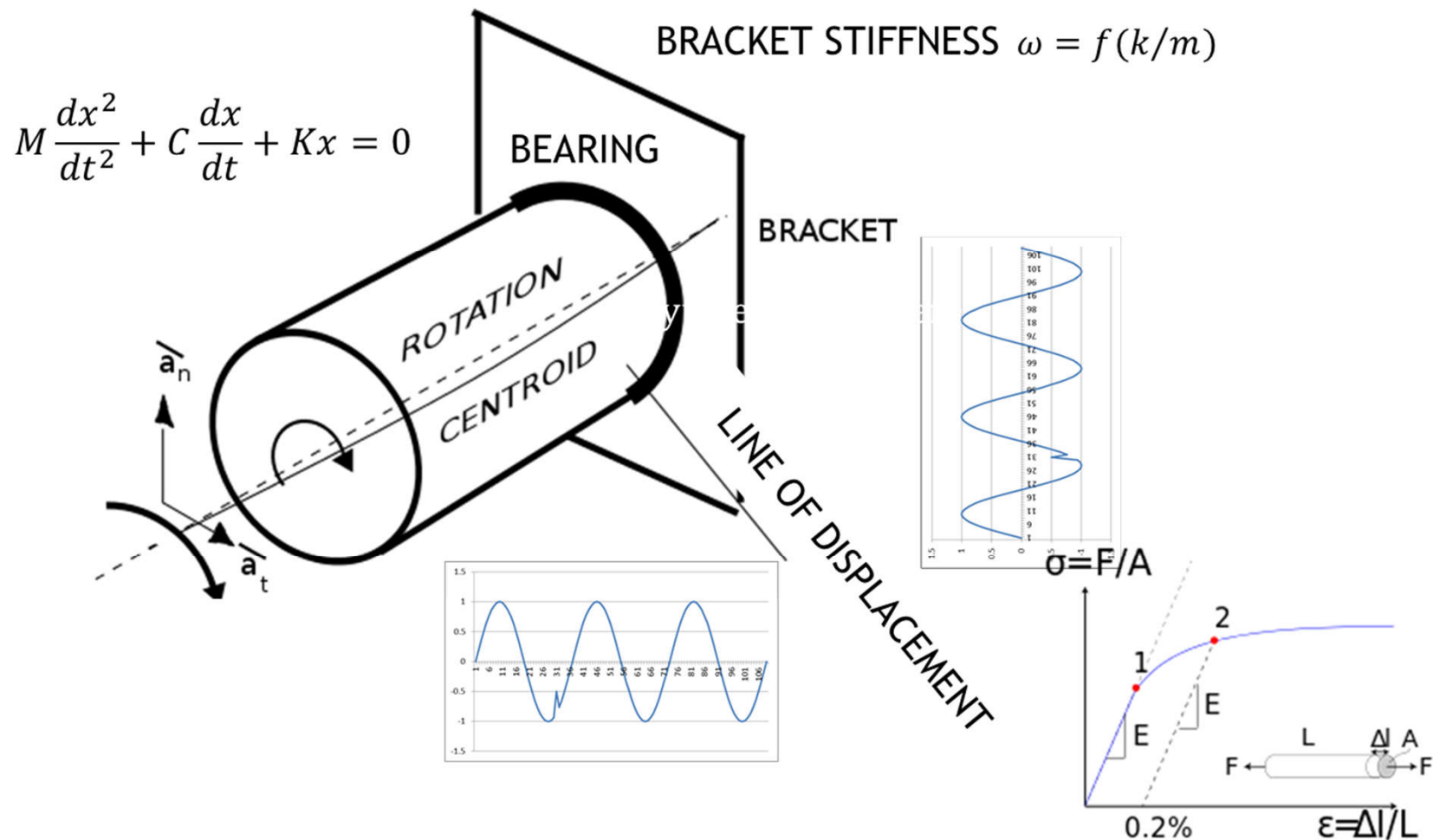
**Shaft order 2 magnitude:** *magnitude of shaft second harmonic in frequency domain, indicator of coupling failures (misalignment) or bent shaft*

**Shaft order 3 magnitude:** *magnitude of shaft third harmonic in frequency domain, indicator of coupling failures.*

# *The World of Mechanical Diagnostics*

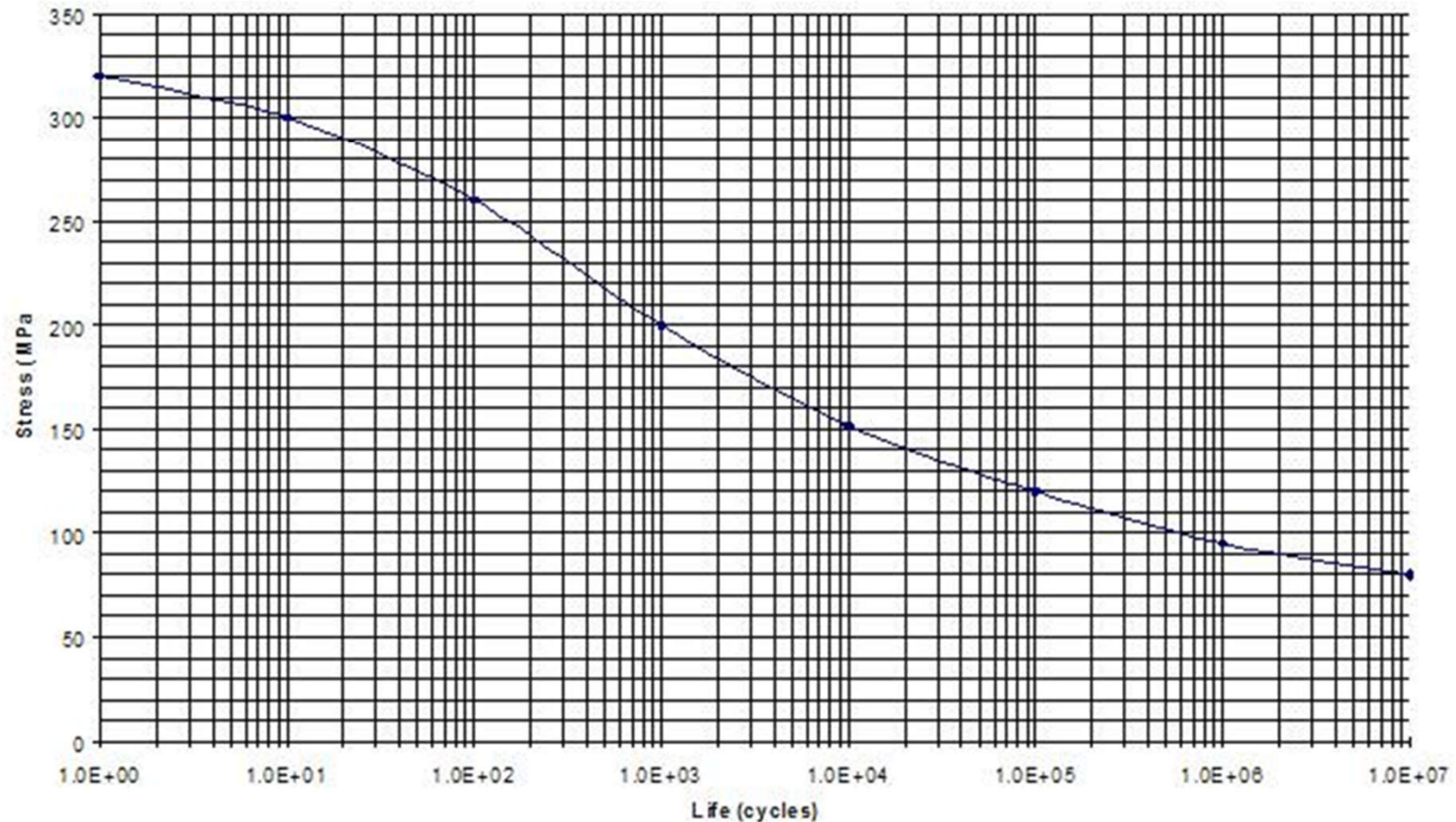


# The World of Mechanical Diagnostics: PBM



# *The World of Mechanical Diagnostics: PBM*

*S-N CURVE FOR BRITTLE ALUMINUM WITH A UTS OF 320 MPa*



# ***The World of Mechanical Diagnostics: PBM***

## **PHYSICS BASED MODEL PROCESS**

**GEN GEOMETRY/  
MECH PROPERTIES**

**SELECT/DISCRETIZE  
VOLUME**

**APPLY EXCITATION  
EVAL ELEMENT  $\sigma/\epsilon$**

**EVAL FAILURE/  
CRACK GROWTH**

**UPDATE GEOMETRY**

**APPLY EOM  
TO EVAL VIBRATION**

**ASSESS VIB IMPACT  
ON CRACK GROWTH**

**EVAL FAILURE  
LIMITS**

**CORRELATE  
FAILURE EVENTS TO  
INPUTS**

# *Electromagnetic Path Evaluation: LIDAR*



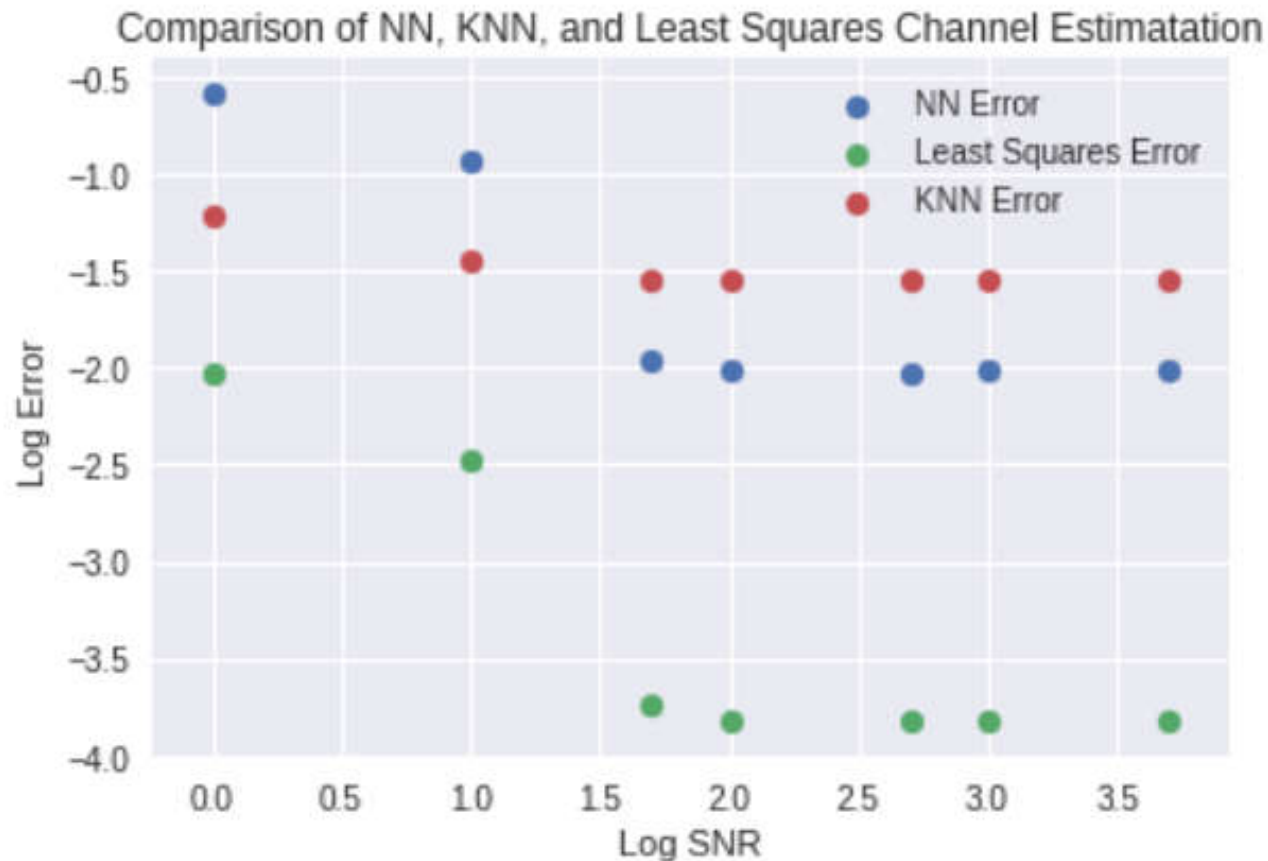
# ***Electromagnetic Path Evaluation: LIDAR***

## **Elastic Backscatter LIDAR Extinction Ambiguity**

$$P_{\lambda_0}(R) = \frac{K_{\lambda_0}}{R^2} \left[ \beta_{\lambda_0}^{aer}(R) + \beta_{\lambda_0}^{mol}(R) \right] T_{\lambda_0}^2(R) O_{\lambda_0}(R)$$

where  $P_{\lambda_0}(R)$  is the LIDAR elastic backscattered power ( $W$ ) from range ( $R$ ),  $K_{\lambda_0}$  is the LIDAR system constant incorporating the transmitted optical pulse energy, the effective telescope receiving area, and the optical path losses in the system.  $\beta_{\lambda_0}^{aer}$  and  $\beta_{\lambda_0}^{mol}$  comprise the two elements of the extinction coefficient: aerosol backscatter and molecular absorption.  $T_{\lambda_0}^2(R)$  represents the two-way admittance from the instrument to the backscatter target.  $O_{\lambda_0}(R)$  represents to so called overlap function, incorporating the unit normalized cross over function between the laser illuminated atmosphere at range  $R$  and the telescope's field of view.

# *Electromagnetic Path Evaluation: 5G*

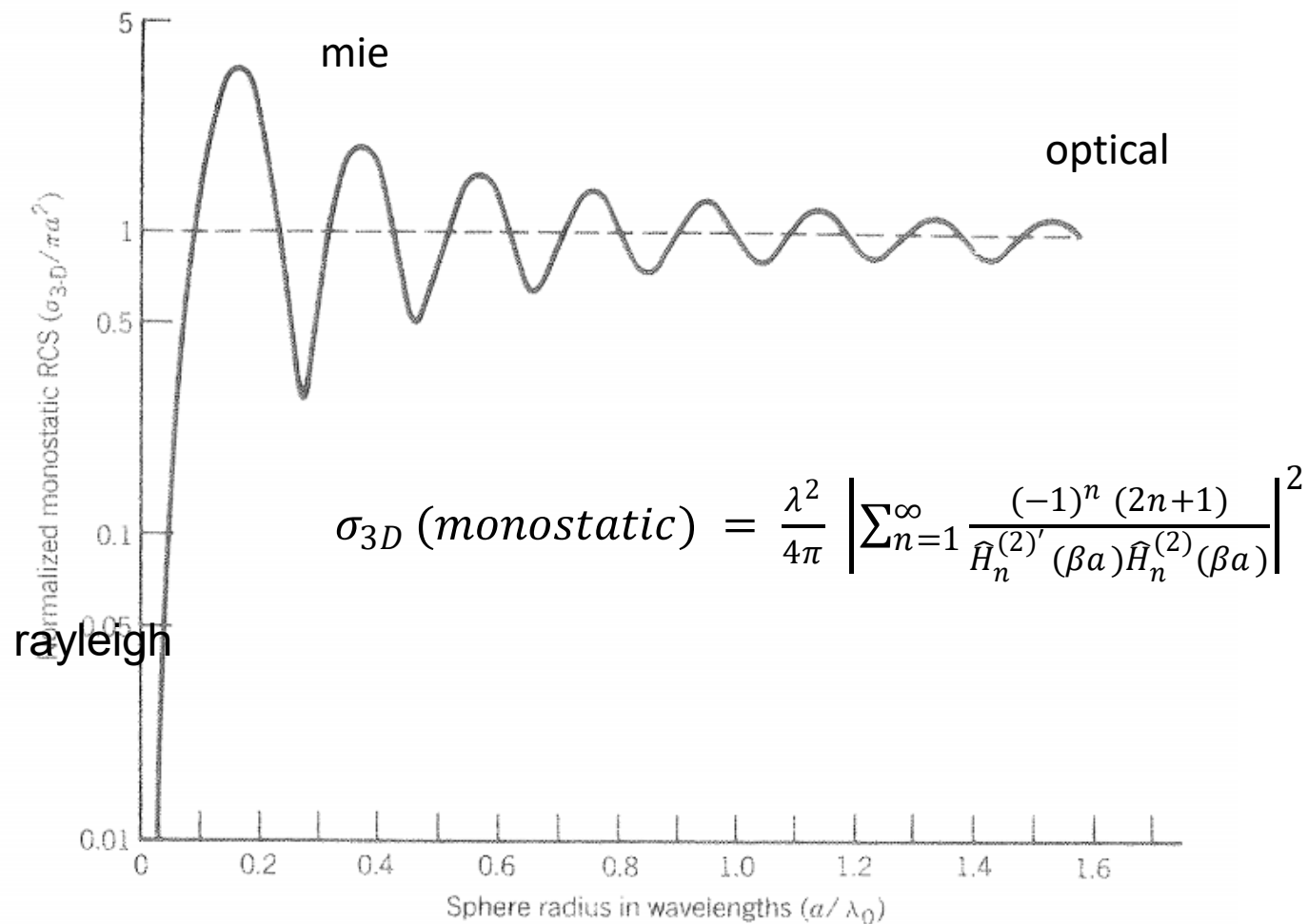


## **Deep Networks for Equalization in Communications**

Technical Report No. UCB/EECS-2018-177

December 14, 2018

# Electromagnetic Path Evaluation: PBM



# ***Electromagnetic Path Evaluation: PBM***

## **PHYSICS BASED MODEL PROCESS**

**GEN GEOMETRY/  
EM PROPERTIES**

**SELECT/DISCRETIZE  
VOLUME**

**APPLY EXCITATION  
EG: UPW**

**DISTRIBUTE  
SCATTERERS  
(MONTE CARLO)**

**EVAL  
SCATTERING/  
DIFFRACTION**

**EVAL PATH  
CHARACTERISTICS**

**EVAL PATH ON  
CHANNEL**

**EVAL BER/LIDAR  
PERFORMANCE**

**CORRELATE  
PERFORMANCE  
WITH ENVIRONMENT**

# ***Physics Based Modeling: Additional Considerations***

- **Algorithms**
- **Software Design**
- **Computer Resources**
- **Data Conventions and File Structure**
- **Open Access/Collaboration**

# ***Thank you***

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